'«ARCHÉ»» THESIS': "SYSTEM-atic DIALECTICS" **['Synchronic Dialectics']**



The Dialectic According to Plato –

The «Arithmoi Eidetikoi»

"STRANGER: Well, now that we have agreed that the kinds stand toward one another in the same way as regards blending, is not **some science** needed as a guide on **the voyage of discourse**, if one is to succeed in pointing out which kinds are consonant, and which are incompatible with one another – also, whether there are certain kinds that pervade them all and connect them so that they can blend, and again, where there are divisions [separations], whether there are certain others that traverse wholes and are responsible for the division?

THEAETETUS: Surely some science is needed - perhaps the most important of all.

STRANGER: And what name shall we give to this science? Or – good gracious, Theaetetus, have we stumbled unawares upon the free man's knowledge and, in seeking for the Sophist, chanced to find the philosopher first?

THEAETETUS: How do you mean?

STRANGER: **Dividing according to kinds**, not taking the same form for a different one or a different one for the same – is not that the business of **the science of dialectics**?

THEAETETUS: Yes.

STRANGER: And the man who can do that discerns clearly **one** form everywhere extended throughout many, where each one lies apart, and **many** forms, different from one another, embraced from without by one form, and again **one form connected in a unity through many wholes**, and **many** forms, entirely marked off apart. That means knowing how to distinguish, **kind by kind**, in what ways the several kinds can or cannot combine.

THEAETETUS: Most certainly.

STRANGER: And the only person, I imagine, to whom you would allow this *mastery of dialectic* is the pure and rightful *lover of wisdom*."

Plato, Sophist, 253b – 254d [emphasis added by F.E.D.]

"...While the numbers with which the arithmetician deals, the arithmoi [assemblages of units - F.E.D.] mathematikoi or monadikoi [abstract, generic, idealized, qualitatively-identical homogeneous "monads" or [ideal[ized], abstract qualitative units - F.E.D.] are capable of being counted up, i.e., added, so that, for instance, eight monads [eight abstract ideal[ized]-units, unities, or idea-a-toms - F.E.D.] and ten monads make precisely eighteen monads together, the assemblages of eide [of 'mental seeings' or mental visions; of "ideas" - F.E.D.], the "arithmoi eidetikoi" [assemblages, ensemblages, "sets", or [sub-]totalities of gualitatively different, or heterogeneous, ideas or «eide» — F.E.D.], cannot enter into any "community" with one another [i.e., are 'non-reductive', "non-superpositioning", "nonadditive", 'non-addable', or "non-amalgamative" — F.E.D.]. Their monads are all of different kind [i.e., are 'categorially', ontologically, gualitatively unequal — F.E.D.] and can be brought "together" only "partially", namely only insofar as they happen to belong to one and the same assemblage, whereas insofar as they are "entirely bounded off" from one another ... they are incapable of being thrown together, in-comparable [incapable of being counted as replications of the same quality of unit[y], of the same qualitative unit, or (monad); incomparable quantitatively - F.E.D.] The monads which constitute an "eidetic number", i.e., an assemblage of ideas, are nothing but a conjunction of eide which belong together. They belong together because they belong to one and the same eidos [singular form of «eide»: one particular 'internal / interior seeing', vision, or «ιδεα» — F.E.D.] of a higher order, namely a "class" or genos [akin to the grouping of multiple species under a single genus in classical biological "taxonomics" or "systematics" - F.E.D.]. But all will together be able to "partake" in this genos (as for instance, "human being", "horse", "dog", etc., partake in "animal") without "partitioning" it among the (finitely) many eide and without losing their indivisible unity only if the genos itself exhibits the mode of being of an arithmos [singular form of «arithmoi»: a single assemblage of units/«monads» — F.E.D.]. Only the arithmos structure with its special koinon [commonality - F.E.D.] character is able to guarantee the essential traits of the community of eide demanded by dialectic; the indivisibility [a-tom-icity or 'un-cut-ability' - F.E.D.] of the single "monads" which form the arithmos assemblage, the limitedness of this assemblage of monads as expressed in the joining of many monads into one assemblage, i.e., into one idea, and the untouchable integrity of this higher idea as well. What the single eide have "in common" is theirs only in their community and is not something which is to be found "beside" and "outside"...them. ... The unity and determinacy of the arithmos assemblage is here rooted in the content of the idea..., that content which the logos [word; rational speech; ratio - F.E.D.] reaches in its characteristic activity of uncovering foundations "analytically". A special kind of [all-of-one-kind, generic-units-based - F.E.D.] number of a particular nature is not needed in this realm, as it was among the dianoetic numbers [the «arithmoi monadikoi» - F.E.D.]..., to provide a foundation for this unity. In fact, it is impossible that any kinds of number corresponding to those of the dianoetic realm [the realm of 'dia-noesis' or of '«dianoia»', i.e., of 'pre-/sub-dialectical' thinking — F.E.D.] should exist here, since each eidetic number is, by virtue of its eidetic character [«eide»-character or ideanature - F.E.D.], unique in kind [i.e., qualitatively unique / distinct / heterogeneous in comparison to other «eide» - F.E.D.], just as each of its "monads" has not only unity but also uniqueness. For each idea is characterized by being always the same and simply singular [... additively idempotent, and ... also 'unquantifiable' - F.E.D.] in contrast to the unlimitedly many homogeneous monads of the realm of mathematical number, which can be rearranged as often as desired into definite numbers, ... The "pure" mathematical monads are, to be sure, differentiated from the single objects of sense by being outside of change and time, but they are not different in this sense that they occur in multitudes and are of the same kind (Aristotle, Metaphysics B 6, 1002 b 15 f.: [Mathematical objects] differ not at all in being many and of the same kind...), whereas each eidos is, by contrast, unreproducible [hence modelable by idempotent addition, or 'non-addability', and 'non-guantifiability' - F.E.D.] and truly one (Metaphysics A 6, 987 b 15 ff.; "Mathematical objects differ from objects of sense in being everlasting and unchanged, from the eide, on the other hand, in being many and alike, while an eidos is each by itself one only" ...). In consequence, as Aristotle reports (e.g., Metaphysics A 6, 9876 b 14 ff. and N 3, 1090 b 35 f.), there are three kinds of arithmoi: (1) the arithmos eidetikos - idea-number, (2) the arithmos aisthetos - sensible number, (3) and "between"...these, the arithmos mathematikos or monadikos --- mathematical and monadic number, which shares with the first its "purity" and "changelessness" [here Aristotle reflects only the early, more 'Parmenidean', Plato, not the later, «autokinesis» Plato - F.E.D.] and with the second its manyness and reproducibility. Here the "aisthetic" ["sensible", i.e., 'sense-able', or sensuous - F.E.D.] number represents nothing but the things themselves which happen to be present for aisthesis [sense perception - F.E.D.] in this number. The mathematical numbers form an independent domain of objects of study which the dianoia [the faculty of 'pre-/sub-dialectical thinking' - F.E.D.] reaches by noting that its own activity finds its exemplary fulfillment in "reckoning [i.e., account-giving] and counting".... The eidetic number, finally, indicates the mode of being of the noeton [that which exists "for" thought, that which thought "beholds"; the object of thought; the idea[1-object - F.E.D.] as such - it defines the eidos ontologically as a being which has multiple relations to other eide in accordance with their particular nature [i.e., in accord with their content — F.E.D.] and which is nevertheless in itself altogether indivisible. The Platonic theory of the arithmoi eidetikoi is known to us in these terms only from the Aristotelian polemic against it (cf., above all, Metaphysics M 6-9)..."

> Jacob Klein, <u>Greek Mathematical Thought and the Origin of Algebra</u>, 1934-1936, pp. 89-91. [bold, *italic*, <u>underline</u>, and color emphasis added by F.<u>E.D.</u>]

Synchronic «Aufheben» Structure of The Platonic Dialectic of the «Arithmoi Eidetikoi»

Visualized Below ---

«Arithmol Elde-tikoi» formed by an «Arithmos Elde-tikos» of «Elde-Gene»-«Monads» together with a [connected] «Arithmos Elde-tikos» of «Elde-Species»-«Monads»:



This depiction of an «Arithmoi Eidetikoi» is based upon the example invoked in Jacob Klein's book Greek Mathematical Thought and the Origin of Algebra, from the quote exhibited in the preceding slide. Two key F.E.D. definitions, relevant throughout that passage, and throughout this presentation, are also supplied below:

"'<u>Ontology</u>" [«<u>Onto</u>»-«<u>Logy</u>»: "'being-knowledge"; "discourse about being"] = The knowledge of, or the <u>word</u>-narrated [«<u>Logos</u>»] accounting for / description of, the kinds of <u>being</u> [«<u>On</u>»] that are "<u>be</u>-ing", that are <u>extant</u>, or <u>existent</u>, in any given moment, or epoch, of the history of the finite, manifest being / existence of this «<u>kosmos</u>», including both '<u>physio</u>-being', or «<u>physis</u>»-being, and also human-'<u>phenomic</u>' «<u>ideo</u>»-being, or «<u>ideo</u>»-being, i.e., including human-cultural / "memetic" "<u>idea</u>-objects", or "<u>idea</u>-matter", with the [ideo-]"materiality" of such "idea-objects" grasped in accord with the principles of the F.<u>E.D</u>. perspective, of "'<u>Psycho</u>-Historical Materialism".

""Ontodynamics" [«Onto»-«Dynamis»: "being-potential"; "being-power"; "being-change"; "change of being"; "power of being to change [itself, and other being]"] = Emergence of new, <u>successor kinds</u> of being – of new «species», and new «gene», of being, etc. – of higher "<u>power</u>"; of higher "<u>degree</u>"; of higher intrinsic "<u>dimensionality</u>", relative to that of their <u>predecessor kinds</u> of being, from out of the <u>inter</u>action, and from out of the "<u>intra</u>-action", of the «monads» of the «arithmoi» of their <u>predecessor kinds</u> of being; i.e., of <u>kinds</u> of being of lower "<u>power</u>", "<u>degree</u>", or inner "<u>dimensionality</u>". Synchronic «Aufheben» Diagram: 'Meta-Fractal' 'Meta-Monadology' of the Platonic «Arithmoi Eidetikoi» Dialectic



The diagram above depicts an excerpt from the synchronic, and purportedly transcendental, static, eternal, & immutable, "'Noetic Realm''' of Plato's «*Eide*», or «*tδεα*», the 'Parmenidean' realm of his imagined *Dialectical* «*Arithmoi Eide-tikoi*». If we take the «*tδεα*»-«*Species*», belonging to a given «*tδεα*»-«*Genos*», as the base-level <u>units</u>, or «<u>monads</u>», of the various «*Species*»-«*Arithmoi [Eidetikoi]*», then the «*Genos*» to which they belong maintains a [synchronic] «<u>aufheben</u>» relationship to those «*Species*», and is their immediate '*meta*¹-<u>unit</u>', or '*meta*¹-«<u>monad</u>»'. I.e., each «*tδεα*»-«*Genos*» is ["intension-ally"] "'made up out of" the heterogeneous multiplicity – the «*Arithmos*» – of its «*idea*»-«*Species*». This means that each «*tδεα*»-«*Genos*» is, simultaneously and univocally, an "intensional" (1) <u>negation</u>, an (2) <u>elevation</u>, and a (3) <u>conservation</u> / ["intensional"] <u>containment</u> of its «*tδεα*»-«*Species*». Thus, the higher «*Arithmos*» of the «*Arithmoi Eidetikoi*», or «*Arithmoi*» of their «*tδεα*»-«*Species*». The "'Noetic Space"' of the «*Arithmoi Eidetikoi*», or «*Arithmoi*» of their «*tδεα*»-«*Species*». The "'Noetic Space"' of the «*Arithmoi Eidetikoi*», or «*Arithmoi Eidetikoi*», or «*Arithmoi*» – depicted, in excerpt, above --- is also the "'space"' in which the logic of the classical – and Hegelian – "'[statical] disjunctive syllogism''' operates [see Hegel, «Logik», Vol. II, Subjective Logic; Sec. 1, Subjectivity; Ch. 3, The Syllogism of Necessity; (c)]. "Anti-Reductionist" Representation of the last slide's Rudimentary, «1δεα-Genos»/«1δεα-Species» portion of the Structure of the

'Philosophical Ideo-Systematics' of Plato's «Arithmoi Eidetikoi» "Systematic Dialectics",

using one of the systems of "dialectical arithmetic" arising in the 'meta-systematic-dialectical' progression

of the F.<u>E</u>.<u>D</u>. "dialectical arithmetics", generated by $[\underline{N}]^{2^{\tau}} \leftrightarrow [\underline{q}_{1}]^{2^{\tau}}$ as the 'self-reflexion countor', τ , increases.

The rudimentary, Platonic «*ιδεα-Genos»l*«*ιδεα-Species»* structure of the 'Philosophical Ideo-Systematics' of Plato's «*Arithmoi Eidetikoi»* "Systematic Dialectics" can be expressed "arithmetically", via one of the purely-qualitative, purely-ontological, and "non-addible" 'higher metanumbers' that arises in the 'meta-systematic-dialectical' arithmetical-systems-progression of the **F**.<u>E</u>.<u>D</u>. 'dialectical ideographies'.

Requisite capability-of-expression first arises in the rules-system / ideographic language of the MgBA space of these "dialectical arithmetics".

This rules-system corresponds to the generic ${}_{N}Q$ 'meta-number' ${}_{24}$ in the ${}_{N}Q$ dialectical model of that systems-progression, i.e., as expressed in the language of the 2nd "space", or "set", of the "spaces" of the "dialectical arithmetics", denoted by ${}_{N}Q$, defined as ${}_{N}Q = \{{}_{21}, {}_{22}, {}_{33}, \dots\}$. The arithmetic of the ${}_{N}{}_{BA}$ "space" is a '*purely-qualitative*' arithmetic, as signified by the fact that the subscript of ${}_{24}$ is an <u>even</u> number. The arithmetics in this progression which, per this ${}_{N}Q$ model, correspond to ${}_{N}Q$ 'meta-numbers' with <u>odd</u> number subscripts, are either explicitly '*quanto-qualitative*' arithmetics, or, in the single case of the arithmetic which corresponds to ${}_{24}$, is a '*purely-quantitative*' arithmetic.

The rules-system / ideographical language of the familiar arithmetic of the <u>N</u>atural Numbers, the numbers whose "'space", or "set", is denoted by **N**, defined as $N = \{1, 2, 3, ...\}$, corresponds to the generic 'meta-number' <u>**g**</u>₁ in that same <u>**N**</u><u>Q</u> model of this 'meta-system-atic', dialectical progression of systems of "'dialectical arithmetic".

The Q rules-system itself corresponds to the generic 'meta-number' g, in that Q model.

The generic unit, or *monad* - or, more specifically, the generic '<u>meta</u>¹-unit', or '<u>meta</u>¹-*«monad***' - of the {}_{N}g_{BA} arithmetic involves one explicit use of a higher arithmetical operation of 'non-amalgamative', "anti-reductionist", '***purely-qualitative division***', or of '***purely-ontological division***', and looks as below, if we tailor it to, say, a count of «***iδεα*-*species***» equal to the number represented by N₁. The single "beta" unit, in the numeral below, is designed to assert, via the '***qualitative division bar***' below it, that it is implicitly "made up out of", and "divisible" into, the multiple "alpha" units below that '***qualitative division bar***', at a lower/lesser level of abstraction / '***«gen*»-eralization'. This 'meta-fractal levels/scales separator bar' stands for the boundary between the **«***iδεα*-*species***» level --**



In this compound 'meta-number', the "beta", and the "alphas", represent "'purely-qualitative", or 'purely-ontological', "'subsumed-unit", or "sub-unit", 'meta-numbers'. The "beta" 'meta-numeral' represents a '*«genos»* -qualifier', which here represents a *«genos»* unit that has been assigned as "*«genos»* number one". The "alpha" 'meta-numerals' are assigned, in this case, as '*«species»*-qualifiers', with the "alpha" subscripted by "11" being assigned to the stipulated first *«species»* of *«genos»* # 1, and with the "alpha" subscripted by "11" being assigned to the stipulated first *«species»* belonging to *«genos»* # 1, and with the "alpha" subscripted by "11" being assigned to the stipulated first *«species»* belonging to *«genos»* # 1 that are assigned to [the] [any] "Natural" Numbers between "1" and "N₁". The 'D' addition, e.g., of each "alpha" to its consecutive next "alpha", denotes a "inon-amalgamative" generalization of N addition, per which these "'qualitatively different", 'ontologically-different', ''different *in kind*" '*«species»*-qualifiers', represented by "alphas" of differing subscript, do not "amalgamate" into any single value, within their own level of concreteness, just as an "apple" "+" an "orange" do not add amalgamatively, or "'reductively'', within heir own scale of specificity. Only at the *«genos»* level, of lesser specificity, "above" the *«species»* level, do the multiple *«species»* coalesce in the singular, *«genos»*, value, just as "apple plus orange", abstracted to "fruit" yields "fruit plus fruit equals fruit". The "alphas" stand for 'pure qualifiers', versus the 'pure, unqualifiers' for which **N**-type numerals stand, so that the "alphas" are "non-addible", or 'unquantifiable'.

Synchronic «Aufheben» Diagram: «Gene»/Super-«Genos» 'Meta-Monadology' of the Platonic «Arithmoi Eidetikoi» Dialectic



The diagram above depicts an excerpt from the synchronic -- and purportedly transcendental and **Parmenidean**, static, eternal, and immutable – "'Noetic Domain'" of Plato's «<u>Eide</u>», or «*Iδεα*»: the realm of Plato's **Dialectical** «**Arithmoi** <u>Eide</u>-tikoi». If we take each «*ιδεα*»-«**Genos**» -- belonging, by virtue of its *idea-<u>content</u>*, to a given «*ιδεα*»-<u>Super</u>-«**Genos**» -- as a base-level <u>unit</u>, or «<u>monad</u>», of its «**Gene**»-«**Arithmos** [Eidetikos]», then the associated <u>Super</u>-«**Genos**» to which it belongs maintains a [synchronic] «<u>aufheben</u>» relationship to it together with its 'contentally-associated' «**Gene**», and is their immediate '*meta*¹-<u>unit</u>', i.e., is their '*meta*¹-«<u>monad</u>»'. That is, each «*ιδεα*»-<u>Super</u>-«**Genos**» is, simultaneously, and univocally – the «**Arithmos**» -- of its «*ιδεα*»-«**Gene**». This means that each «*ιδεα*»-<u>Super</u>-«**Genos**» is, simultaneously, and univocally, an "intensional" (1) <u>negation</u>, by way of being also (2) an <u>elevation</u>, and thereby also (3) a <u>conservation</u> / <u>containment</u> of its 'contentally-associated' «*ιδεα*»-<u>Super</u>-«**Genos**» to which each «*ιδεα*»-<u>Super</u>-«**Genos**» belongs is a '*meta*¹-«**Kithmos** Eidetikos" of the '*Meta*-(*sea*) - «**Genos**» is of their "'own"', 'contentally-associated' «*ιδεα*»-(*sea*) - «**Genos**» is belongs is a '*meta*¹-«**Kithmos** Eidetikos" of the Philosophical Systematics''' of Plato's "Taxonomy of Universal Ideas''', "'Categorial Cosmos''', or 'Meta-Genealogy / Phylogenetic Tree' of the Philosophical Concepts.

Synchronic «Aufheben» Diagram: «Species» / Sub-«Species» 'Meta-Monadology' of the Platonic «Arithmoi Eidetikoi» Dialectic



The diagram above depicts an excerpt from the synchronic -- and purportedly transcendental and *Parmenidean*, static, eternal, and immutable -- "'Noetic Domain'' of Plato's «*Eide*», or «*Iδεα*»: the realm of Plato's *Dialectical «Arithmoi <u>Eide-tikoi</u>»*. If we take each «*ιδεα*»-<u>Sub</u>-«Species» -- belonging, by virtue of its *idea-<u>content</u>*, to a given «*ιδεα*»-«Species» -- as a base-level *unit*, or «*monad*», of its «*Species*»-«*Arithmos* [*Eidetikos*]», then the associated «*Species*» to which it belongs, by virtue of its *idea-<u>content</u>*", maintains a [synchronic] «*aufheben*» relationship to it together with its other 'contentally-associated' *Sub-*«*Species*», and this «*ιδεα*»-«*Species*» is their immediate '*meta*¹-*unit*', or '*meta*¹-«*monad*»'. I.e., each «*ιδεα*»-«*Species*» is "'made up out of" the heterogeneous multiplicity - the «*Arithmos*» -- of its «*ιδεα*»-*Sub*-«*Species*». This means that each «*ιδεα*»-«*Species*» is, simultaneously, and univocally, a (1) *negation*, by way of being also (2) an *elevation*, and thereby also (3) a *conservation / containment* of its 'contentally-associated' «*ιδεα*»-*Sub*-«*Species*». Thus, the higher «*Arithmos Eidetikos*» to which each «*ιδεα*»-«*Species*» may belong is a '*meta*¹-«*Arithmos Eidetikos*»' relative to the «*Arithmos Eidetikos*» of their "'own", 'contentally-associated' «*ιδεα*»-*Sub*-«*Species*». Thus, the higher «*Arithmos Eidetikos*» of their "'own", 'contentally-associated' «*ιδεα*»-*Sub*-«*Species*». Thus, the higher «*Arithmos Eidetikos*» of their "'own", 'contentally-associated' «*ιδεα*»-*Sub*-«*Species*». Thus, the higher *«Arithmos Eidetikos*» of their "'own", 'contentally-associated' «*ιδεα*»-*Sub*-«*Species*». In the "'*Philosophical Systematics*" of Plato's "'*Taxonomy of Universal Ideas*", "'Categorial Cosmos'", or 'Meta-Genealogy' of the Philosophical Concepts.

Synchronic «Aufheben» Diagram:

... Super-«Genos» / «Genos» / «Species» / Sub-«Species» ... 'Meta-Fractal Meta-Monadology' of Platonic «Arithmoi Eidetikoi» Dialectics



"Anti-Reductionist" 'Meta-Numeral' symbolizing last slide's «ιδεα-Super-Genos»/«ιδεα-Genos»/«ιδεα-Species»/«ιδεα-Sub-Species» Structure from the 'Philosophical Ideo-Systematics' of Plato's «Arithmoi Eidetikoi» "Systematic Dialectics",

using one of the systems of "dialectical arithmetic" arising in the 'meta-systematic-dialectical' progression of the F.<u>E</u>.<u>D</u>. "dialectical arithmetics",

modeled by [$\underline{\underline{N}}$]^{2^{τ}} \leftrightarrow [$\underline{\underline{q}}_1$]^{2^{τ}} as the 'self-reflexion countor', τ , increases.

The ramified, Platonic «*ιδεα*-Super-**Genos**»/«*ιδεα*-**Genos**»/«*ιδεα*-**Species**»/«*ιδεα*-Sub-**Species**» Structure, excerpted from the 'Philosophical Ideo-Systematics' of Plato's «**Arithmoi Eidetikoi**» "Systematic Dialectics", can be expressed "arithmetically", via one of the purely-qualitative, purely-ontological, and "non-addible" 'higher meta-numbers' that arises in the 'meta-systematic-dialectical' arithmetical-systems-progression of the **F**.<u>*E*.*D*</u>. "dialectical arithmetics". Complicated "algebraic" subscripts are required to represent this 'meta-number' **generically**.

Requisite capability-of-expression first arises in the rules-system/ideographic language of the square "space" of these "dialectical arithmetics".

This rules-system corresponds to the generic $\mathbf{N}\mathbf{Q}$ 'meta-number' \mathbf{g}_{120} in the $\mathbf{N}\mathbf{Q}$ dialectical model of that systems-progression, i.e., as expressed in the language of the 2nd "space", or "set", of the "spaces" of the "dialectical arithmetics", denoted by $\mathbf{N}\mathbf{Q}$, defined as $\mathbf{N}\mathbf{Q} \equiv \{\mathbf{g}_1, \mathbf{g}_2, \mathbf{g}_3, \dots\}$.

The arithmetic of the $\mathbf{N}\mathbf{g}_{\mathbf{A}\Gamma\mathbf{B}\mathbf{A}}$ "space" is a '*purely-qualitative*' arithmetic, as signified by the fact that the subscript of \mathbf{g}_{120} is an <u>even</u> number. The arithmetics in this progression which, per this $\mathbf{N}\mathbf{Q}$ model, correspond to $\mathbf{N}\mathbf{Q}$ 'meta-numbers' with <u>odd</u> number subscripts, are either explicitly '*quanto-qualitative*' arithmetics, or, in the single case of the arithmetic which corresponds to \mathbf{g}_1 , is a '*purely-quantitative*' arithmetic.

The rules-system / ideographical language of the familiar arithmetic of the <u>N</u>atural Numbers, the numbers whose "'space", or "set", is denoted by **N**, defined as $N = \{1, 2, 3, ...\}$, corresponds to the generic 'meta-number' <u>**q**</u>₁ in that same <u>**N**</u><u>Q</u> model of this 'meta-system-atic', dialectical progression of systems of "'dialectical arithmetic".

The NQ system itself corresponds to the generic 'meta-numeral' g2 in that NQ model. The generic unit, or «monad», 'meta-numeral' of NgATBA is:



So as to represent the structure of the last slide, the "alphas" in this 'meta-numeral' would be assigned to the «*ιδεα*-Sub-**Species**», the "betas" to the «*ιδεα*-**Species**», the "gammas" to the «*ιδεα*-**Gene**», and the single "delta" to the singular/unitary «*ιδεα*-Super-**Genos**» shown there.

Section II:

Some Examples of

'[Synchronic] << Aufheben>> Structures',

of 'Meta-Monadologies',

of '[Qualo-]Peanic Consecua',

&

of 'Meta-Fractal Scaling'

'Meta-Monadology'

"By a 'Meta-Monadology', we mean a progression of «arithmoi» -- self-presenting, or presented -- wherein each of the «monads», or <u>units</u>, of each <u>successor</u> «arithmos» is constructed from a determinate multiplicity – typically a heterogeneous one – of the <u>units</u>, or «monads», of its immediate <u>predecessor</u> «arithmos», per the order of presentation of these «arithmoi», so that the «monads» of that <u>successor</u> «arithmos» are 'meta¹-«monads», or 'meta¹-<u>units</u>', relative to the «monads», or <u>units</u>, of that <u>predecessor</u> «arithmos».

This entails a '<u>meta-finite</u>' relationship, and one of ontological, <u>qualitative</u>, <u>not</u> quantitative, <u>inequality</u>, between these <u>successor</u> and <u>predecessor</u> ((**monads**)), or <u>units</u>. Moreover, this <u>predecessor-successor</u> relationship instantiates a [<u>self-</u>]((aufheben)) operation, and a [self-]((aufheben)) relation, constructing, and connecting, respectively, each <u>successor</u> ((arithmos)) from, and to, its <u>predecessor</u>. This <u>predecessor-successor</u> relationship also makes the total progression a '[<u>Qualo</u>]-<u>Peanic</u> <u>Consecuum</u>', or <u>Sequence</u>, of [self-]formations / [self-]constructions. That total progression thus assembles a '[quanto-]<u>qualitative</u> self-similarity regress' structure, which we term a 'meta-fractaf."

Karl Seldon, Encyclopedia Dialectica, Prolegomena

«Aufheben» Diagram: The "Fractal", 'Peanic' 'Meta-«Arithmos»-ology' of the "Natural" Numbers



«Aufheben» Diagram: The "Fractal" 'Meta-«Monad»-ology' of the Indo-Arabic Numerals System



«Arché» Units / «Arché Monads» [Meta⁰-Units / Meta⁰-«Monads»]

Synchronic «Aufheben» Diagram: The 'Meta-Fractal' Structure of the 'Meta-Monadology' of Phonetic Writings-Systems



Synchronic «Aufheben» Diagram: The 'Meta-Fractal' Structure of the 'Meta-Monadology' of Modern 'Computerware'



command as "word,", then the first byte of that word as "byte,", and, finally, the first bit of that byte as "bit,".

<< Reductio Ad Absurdum>> Self-Refutation Paradigm of Dialectical «Autokinesis», Model of 'Predico-Dynamasis', and The Set Of All Sets --'Parmenidean' Set Theories Section III: of

"That too is unreasonable, replied Socrates. But, Parmenides, the best I can make of the matter is this – that these forms are as it were patterns fixed in the nature of things. The other things are made in their image and are likenesses, and this participation they come to have in the forms is nothing but their being made in their image.

Well, if a thing is made in the image of a form, can that form fail to be like the image of it, in so far as the image was made in its likeness? If a thing is like, must it not be like something that is like it?

It must.

And must not the thing which is like share with the thing that is like it in one and the same thing [character]?

Yes.

And will not that in which the like things share, so as to be alike, be just the form itself that you spoke of?

Certainly?

If so, nothing can be like the form, nor can the form be like anything. Otherwise a second form will always make its appearance over and above the first form, and if the second form is like anything, yet a third. And there will be no end to this emergence of fresh forms, if the form is to be like the thing that partakes of it."

Plato, *Parmenides*, 132d – 133 [emphasis added by F.E.D.]

The Finitary Set of All Sets: 'Self-Process' / ‹‹Auto-Kinesis >> Depiction



 \underline{U} = Finite [actually-constructed] \underline{U} niversal Set, or set of all logical individuals, comprising the \underline{U} niverse of Discourse in question; «*arché*»: $\underline{S}_0 = \underline{2}^{\underline{U}}$.

2^{...} = "Power-Set", or "Set of all Subsets", of the Set denoted by {...}

$$\underline{\mathbf{S}}_{\tau+1} \equiv \underline{\mathbf{S}}_{\tau} \cup \mathbf{2}^{\underline{\mathbf{S}}}$$

The mental "eventity", "self-movement", or «autokinesis» The «arché» set-unit here, the "Universal Set", denoted by U, and also by So, must that is the Set of All Sets may be modeled by a 'Seldon Internalize itself plus all of its other -- "proper" -- subsets as well, to produce its next Function', i.e., try at the "Set of All Sets", whose result, the set-unit S1, must then, in turn, also internalize itself and its other subsets to make its next try at the "Set of All Sets" ... $\mathbf{S}^{\mathsf{T}}[\underline{S}_0] = [\underline{S}_0]^{2^{\mathsf{T}}}$, wherein $\underline{S}_k \times \underline{S}_k = \underline{S}_k^2 = \underline{S}_k \cup 2^{\underline{S}_k} = \underline{S}_{k+1}$. $\underline{\mathbf{S}}_{\mathtt{s}} = [\underline{\mathbf{S}}_{\mathtt{s}}]^{2^{6}} = [\underline{\mathbf{S}}_{\mathtt{s}}]^{6^{4}} = \underline{\mathbf{S}}_{\mathtt{s}} \times \underline{\mathbf{S}}_{\mathtt{s}} \equiv \underline{\mathbf{S}}_{\mathtt{s}} \cup \mathsf{P}[\underline{\mathbf{S}}_{\mathtt{s}}]$ P[S,] ŧ $\underline{\mathbf{S}}_{s} = [\underline{\mathbf{S}}_{0}]^{2^{5}} = [\underline{\mathbf{S}}_{4}]^{32} = \underline{\mathbf{S}}_{4} \times \underline{\mathbf{S}}_{4} \equiv \underline{\mathbf{S}}_{4} \cup \mathsf{P}[\underline{\mathbf{S}}_{4}]$ P[S.] S $\underline{\mathbf{S}}_{4} = [\underline{\mathbf{S}}_{0}]^{2^{4}} = [\underline{\mathbf{S}}_{3}]^{16} = \underline{\mathbf{S}}_{3} \times \underline{\mathbf{S}}_{3} \equiv \underline{\mathbf{S}}_{3} \cup \mathbf{P}[\underline{\mathbf{S}}_{3}]$ P[S,] -> $\underline{\mathbf{S}}_{3} = [\underline{\mathbf{S}}_{0}]^{2^{3}} = [\underline{\mathbf{S}}_{2}]^{8} = \underline{\mathbf{S}}_{2} \times \underline{\mathbf{S}}_{2} \equiv \underline{\mathbf{S}}_{2} \cup \mathbf{P}[\underline{\mathbf{S}}_{2}]$ P[S,] S, $\underline{\mathbf{S}}_{2} = [\underline{\mathbf{S}}_{0}]^{2^{2}} = [\underline{\mathbf{S}}_{1}]^{4} = \underline{\mathbf{S}}_{1} \times \underline{\mathbf{S}}_{1} \equiv \underline{\mathbf{S}}_{1} \cup \mathsf{P}[\underline{\mathbf{S}}_{1}]$ ŧ P[S,] P[S_] stands for the ŧ $\underline{\mathbf{S}}_{1} = [\underline{\mathbf{S}}_{0}]^{2^{1}} = [\underline{\mathbf{S}}_{0}]^{2} = \underline{\mathbf{S}}_{0} \times \underline{\mathbf{S}}_{0} \equiv \underline{\mathbf{S}}_{0} \cup \mathsf{P}[\underline{\mathbf{S}}_{0}]^{-1}$ P[S.] "Power Set", or set of all subsets, of the Set S., often also expressed as 2^S. $\underline{\mathbf{S}}_0 = [\underline{\mathbf{S}}_0]^{2^0} = [\underline{\mathbf{S}}_0]^1 = \underline{\mathbf{S}}_0$ A set of [idea-]objects / "elements" / "members" «arché»: set of all subsets of U, the 24 which are, in general, sets, or set-[idea-]objects. "Universal Set", or the set of all objects/"logical individuals" of a given-Universe of Discourse, denoted by: A set of [idea-]objects / "elements" / "members", or of "logical individuals" which are not, in general, sets. $2^{\underline{U}} \equiv S_{\alpha} \equiv P[U].$ «Aufheben» Diagram: The Dialectical 'Meta-Monadology' of the "Set of All Sets"

The Finitary Set of All Objects: 'Self-Process' / Ideo-‹‹Auto-Kinesis>> Depiction



 $\underline{\mathbf{U}} = \underline{\mathbf{O}}_{0} = \text{Finite [actually-constructed]} \, \underline{\mathbf{U}} \text{niversal Set, or set of all logical individuals / set of all [$ *idea*-]Objects, comprising the <u>U</u>niverse of Discourse in question. $<math display="block">\mathbf{2}^{\{\dots, \}} = \text{"Power-Set", or "Set of all Subsets", of the Set denoted by \{\dots, \}}.$ $\underline{\mathbf{O}}_{\tau+1} = \underline{\mathbf{O}}_{\tau} \cup \mathbf{2}^{\underline{\mathbf{O}}_{\tau}}$

Key:

The «arché» set-<u>unit</u> here, the "Universal Set", denoted by U, and also by \underline{O}_0 , must Internalize itself plus all of its other -- "proper" -- subsets as well, to produce its next try at the "Set of All Objects", whose result, the set-unit \underline{O}_1 , must then, in turn, also internalize itself and its other subsets to make its next try at the "Set of All Objects", and so on... The mental "eventity", "self-movement", or «autokinesis» that is the Set of All Objects may be modeled by a '<u>Seldon</u> <u>Function</u>',



«Aufheben» Diagram: The Dialectical 'Meta-Monadology' of the "Set of All [Idea-]Objects"



"Speciation" of the «Genos» of the Mathematical Inequality Relation

«Genos»:

inequality in general



«Aufheben» Diagram: The Two «Species» of the «Genos» of Mathematical Inequality

This relation, of "'qualitative inequality'', or of 'ontological inequality', is a key to the construction of a *non-reductionistic*, "'<u>holistic notation</u>"', in the later, higher "'dialectical arithmetics" [which are evoked in a "'systematic-dialectical" arithmetical model, & method of presentation, of those arithmetics], via the 'syntactics' of their modeling of the dynamics & '*meta-dynamics*' of '*meta-super*"-*systems*', miming the dialectical evolution & '*meta-evolution*' of such '*meta-super*"-*systems*', via 'quanto-qualitative', 'dialectical-mathematical' formulae.

Paired Examples of the two «Species» of Mathematical Inequality

as they have Emerged Immanently in the [Cognitive Psycho-]History of Standard Mathematics

Standard Arithmetics	Dimensional Analysis	Set Theory	Matrix Arithmetic
1 = 1, and	1 ft. = 1 ft. , and	{a,b} = {b,a}, and	$\begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix} = \begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix}$
1 < 2, but	1 ft. < 2 ft., but	{ a, b } = { b, a } = 2,	$[1 \circ 1] = [2 \circ 1]$ and, perhaps
1 $\frac{3}{4}$ 1i, where i ≡ (-1) ^{1/2}	1 ft. 1 ft. ² , and	but { a, b } { c, d }, if	$\begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix} < \begin{bmatrix} 2 & 0 \\ 0 & 2 \end{bmatrix} = 2 \begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix}$
	1 ft. ≹ 1 lb.	a≠c,d & b≠c,d	$\begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix} \stackrel{1}{\notin} \begin{bmatrix} 0 & 1 \\ 1 & 0 \end{bmatrix}$
		even though, also	

$$|\{a, b\}| = |\{c, d\}| = 2.$$

"Symbolic Logic" [Ideographic Formal Logic] -- "First Order Predicate Calculus

If '.T.' denotes the "truth-value" "True", if '.F.' denotes the "truth-value" "Ealse", if 'Y1' denotes the predicate "is yellow", if 'G2' denotes the binary Relation of "gravitational attraction", implicit in the sentence-form "x gravitationally attracts y", if 's' denotes the "logical individual" named "sol" or "the sun", and if 'e' denotes the "logical individual" named "the earth",

then perhaps $Y^1s = G^2se = G^2es = .T.$,

but definitely $Y^1 \notin G^2$, and $Y^1 \notin S$, and $Y^1 \notin e$, and $G^2 \notin S$, and $G^2 \notin e$, and $S \notin e$.

Peano-Postulates-Compliance of the System of the "Natural" Numbers, N, and of their first 'Contra-System', for the N-Based Space of the NQ 'Meta-Natural Numbers' of <u>Dialectical Ideography</u>

N:	First Order Peano Postulates: [mainly] "Phonogramic" Rendering	[mainly] "Ideogramic" Rendering	
	1 is a "Natural" Number.	1 ∈ N	
	The successor of a "Natural" Number is also a "Natural" Number.	$n \in \mathbb{N} \implies s(n) \in \mathbb{N}$	
3	No two "Natural" Numbers have the same <u>successor</u> .	n, m ∈ N & n ≠ m \Rightarrow s(n) ≠ s(m)	
	1 is not the successor of any "Natural" Number.	⊐∃x ∈ N s(x) = 1	
	"Successor function" for the N : $s(n) = n + 1$		
	<u>Successor</u> function for the \mathbb{N} . $S(\Pi) = \Pi + \Pi$		
_	<u>Successor</u> function for the $\underline{N}\underline{\alpha}$. <u>S</u> [$\underline{\mathbf{q}}_{n}$] = $\underline{\mathbf{q}}_{s(n)}$ = $\underline{\mathbf{q}}_{n+1}$		
NQ	: First Order Peano Postulates: [mainly] "Phonogramic" Rendering	[mainly] "Ideogramic" Rendering	
	<u>g</u> ₁ is a 'Meta- N atural Meta-Number'.	<u>q</u> ₁ ∈ <u>N</u> Q	
	The successor of a 'Meta-Number' is also a 'Meta-Number'.	<u>q</u> _n ∈ _N Q ⇒ <u>s[q</u> _n] ∈ _N Q, given n ∈ N	
	No two 'Meta-Numbers' have the same successor.	<u>a</u> _n , <u>a</u> _m ∈ _N Q & <u>a</u> _n ≠ <u>a</u> _m ⇒ <u>s[a</u> _n] ≠ <u>s[a</u> _m], given n, m ∈ N	
	<u>q</u>₁ is not the <u>successor</u> of any 'Meta-Natural Meta-Number'.	⊐∃ <u>q</u> _x ∈ _N <u>Q</u> <u>s[q</u> _x] = <u>q</u> ₁ , given x ∈ N	

Generalization of the Four Basic Operations of <u>N</u> Arithmetic for the *Dialectical Arithmetics*: The Case of <u>Addition</u>

"Dynamical «Arithmos Eidetikos», and 'Dynamical Disjunctive Syllogism'



Generalization of the Four Basic Operations of <u>N</u> Arithmetic for the *Dialectical Arithmetics*: The Case of <u>Multiplication</u>

"Dynamical «Arithmos Eidetikos», and 'Dynamical Disjunctive Syllogism'



Generalization of the Four Basic Operations of <u>N</u> Arithmetic for the *Dialectical Arithmetics*: The Case of <u>Subtraction</u>

'Dynamical «Arithmos Eidetikos», and 'Dynamical Disjunctive Syllogism'



" *Genos*-eralization" of the Four Basic Operations of "Standard Rational", or **Q**, Arithmetic for the *Dialectical Arithmetics*: The Case of <u>Division</u>

"Dynamical «Arithmos Eidetikos», and Dynamical Disjunctive Syllogism"





Proof of the Seldon Function Equation for <u>Q</u> [continued]

Step #	Proposition / Step to be Justified	Prop. / Step Strategy / Justification
1.	$\blacksquare \square \square \square^2 = \square \square \square^1$	Establish Base Clause for Proof by Finite Induction: Theorems of the Exponentiation Operation – meaning, zeroth power for Reals.
2.	$\mathbf{[} \mathbf{\underline{q}}_{1} \mathbf{]}^{1} = \mathbf{[} \mathbf{\underline{q}}_{1} \mathbf{]}^{1} = \mathbf{\underline{q}}_{1}$	Theorems of the Exponentiation Operation meaning of the 1st power for 'Meta-Natural Meta-Numbers'; Parentheses Removal Rule.
3.	$\begin{bmatrix} \underline{a}_1 & \underline{a}_{2^0} \end{bmatrix} = \begin{bmatrix} \underline{a}_1 & \underline{a}_1 \end{bmatrix}$	Theorems of the Exponentiation Operation meaning of the zeroth power for Real Numbers; consecutivity meaning of SE-RHS.
4.	$\begin{bmatrix} \underline{a}_1 & \underline{a}_1 \end{bmatrix} = \begin{bmatrix} \underline{a}_1 \end{bmatrix} = \underline{a}_1$	Axiom: Additive Idempotency; Parentheses Removal Rule.
5.	$\begin{bmatrix} \underline{a}_1 \\ \underline{a}_2 \end{bmatrix} = \begin{bmatrix} \underline{a}_1 \end{bmatrix}^{2^0} = \underline{a}_1$	Axiom: <u>Transitive Law of Equality</u> for NQ 'Meta-Numbers', applied to Steps 1-2 & 3-4.
6.	$\begin{bmatrix} \underline{\mathbf{q}}_1 \end{bmatrix}^{2^0} = \begin{bmatrix} \underline{\mathbf{q}}_1 \\ \blacksquare \\ $	Axiom: Symmetric Law of Equality for NQ 'Meta-Numbers', applied to Step 5; Base Clause for Finite Induction established.
7.	Assume $[\underline{q}_1]^{2^{\tau}} = [\underline{q}_1]_{1} \oplus \mathbb{Q}_{2^{\tau}}$	Establish Recursion Clause for Proof by <u>Finite Induction</u> : Assume $\underline{P}(\overline{\tau})$ then prove that <i>IF</i> $\underline{P}(\tau)$, <i>THEN</i> $\underline{P}(\tau+1)$, i.e., $\underline{P}(\tau) \Rightarrow \underline{P}(\tau+1)$.
8.	$\mathbf{I} \underline{\mathbf{q}}_{1} \mathbf{J}^{2^{\tau+1}} = \mathbf{I} \underline{\mathbf{q}}_{1} \mathbf{J}^{2^{\tau} \times 2^{1}}$	Theorems of the Exponentiation Operation equivalence of addition of powers and multiplication of bases.
9.	$\begin{bmatrix} \underline{a}_1 \end{bmatrix}^{2^{\tau} \times 2^1} = \begin{bmatrix} \begin{bmatrix} \underline{a}_1 \end{bmatrix}^{2^{\tau}} \end{bmatrix}^{2^1} = \begin{bmatrix} \begin{bmatrix} \underline{a}_1 \end{bmatrix}^{2^{\tau}} \end{bmatrix}^2$	Theorems of the Exponentiation Operation multiplication of powers; meaning of the 1st power for Real Numbers.
10.	$\begin{bmatrix} \begin{bmatrix} \mathbf{q}_1 \end{bmatrix}^{2^{T}} \end{bmatrix}^2 = \begin{bmatrix} \mathbf{q}_1 \\ \mathbb{H}_{\mathcal{T}} \mathbb{H} \\ \mathbb{H}_{\mathcal{T}} \mathbb{H} \end{bmatrix}^2$	Finite Induction Recursion Clause Assumption of Step 7. applied.
11.	$= \begin{bmatrix} \mathbf{q}_1 \\ \mathbf{m}_2 \\ \mathbf{m}_2 \end{bmatrix} \boxtimes \begin{bmatrix} \mathbf{q}_1 \\ \mathbf{m}_2 \end{bmatrix} \boxtimes \begin{bmatrix} \mathbf{q}_1 \\ \mathbf{m}_2 \end{bmatrix} $	Theorems of the <u>Exponentiation</u> <u>Operation</u> meaning of the 2nd power ["squaring"].

Proof of the Seldon Function Equation for NQ [continued & concluded]

Step #	Proposition / Step to be Justified	Prop. / Step Strategy / Justification
12.	$= \begin{bmatrix} \mathbf{g}_1 & \mathbf{H}_{\mathbf{q}_2\tau} & \mathbf{I} \otimes \begin{bmatrix} \mathbf{g}_1 & \mathbf{H}_{\mathbf{q}_2\tau} & \mathbf{H}_{\mathbf{q}_2\tau} \\ = \begin{bmatrix} \mathbf{g}_1 & \mathbf{H}_{\mathbf{q}_2\tau} & \mathbf{H}_{\mathbf{q}_$	by Definition of 🛛 ' <i>«aufheben»</i> evolute product rule'
13.	$\begin{bmatrix} \mathbf{Q}_1 & \mathbf{H} & \mathbf{Q}_{2^{\tau}} \end{bmatrix} = \begin{bmatrix} \mathbf{Q}_1 & \mathbf{H} & \mathbf{Q}_{2^{\tau}+1} & \mathbf{H} & \mathbf{Q}_{2^{\tau}} & \mathbf{H} & \mathbf{Q}_{2^{\tau}+2^{\tau}} \end{bmatrix} = \begin{bmatrix} \mathbf{Q}_1 & \mathbf{H} & \mathbf{Q}_{2^{\tau}+1} & \mathbf{H} & \mathbf{H} & \mathbf{Q}_{2^{\tau}+2^{\tau}} \end{bmatrix} = \begin{bmatrix} \mathbf{Q}_1 & \mathbf{H} & \mathbf{Q}_{2^{\tau}+2^{\tau}} & \mathbf{H} $	by Definition of 🔀 '« <i>aufheben</i> » evolute product rule'
14.	$\begin{bmatrix} \mathbf{g}_1 \ \ \mathbf{g}_1 \ \ \mathbf{g}_1 \ \ \mathbf{g}_{2^{\tau}} \ \ \mathbf{g}_{2^{\tau}} \ \ \mathbf{g}_{2^{\tau}+1} \ \ \mathbf{g}_{2^{\tau}+2^{\tau}} \end{bmatrix}$ = $\begin{bmatrix} \mathbf{g}_1 \ \ \mathbf{g}_{2^{\tau}} \ \ \mathbf{g}_{2^{\tau}+1} \ \ \mathbf{g}_{2^{\tau}+2^{\tau}} \end{bmatrix}$	Axiom: <u>Additive Idempotency</u> or <u>Idempotent</u> <u>Addition;</u> 'Parenthesis Grammar' Rules.
15.	$= \blacksquare \underline{\mathbf{q}}_{1} \textcircled{\texttt{m}}_{2^{\tau}} \textcircled{\texttt{m}} \underline{\mathbf{q}}_{2^{\tau}+1} \textcircled{\texttt{m}}_{2^{\tau}+1} \textcircled{\texttt{m}}_{2^{\times}2^{\tau}} \blacksquare$	Theorems of the <u>Addition & Multiplication</u> <u>Operations</u> for "Real" values doubling is multiplicative equivalent of 'self-addition'.
16.	$= \llbracket \underline{\mathbf{q}}_{1} \textcircled{\mathbb{T}}_{2^{\tau}} \textcircled{\mathbb{T}}_{2^{\tau}+1} \textcircled{\mathbb{T}}_{2^{\tau}+1} \textcircled{\mathbb{T}}_{2^{l} \times 2^{\tau}} \boxed{\mathbf{T}}_{2^{l} \times 2^{\tau}}$	Theorems of the <u>Exponentiation</u> <u>Operation</u> meaning of the first power for " R eal" Numbers.
17.	$= \llbracket \underline{\mathbf{q}}_1 \blacksquare \underline{\mathbf{q}}_{2^{T}} \blacksquare \underline{\mathbf{q}}_{2^{T}+1} \blacksquare \underline{\mathbf{q}}_{2^{H+T}} \blacksquare \underline{\mathbf{q}}_{2^{H+T}} \blacksquare$	Theorems of the <u>Exponentiation</u> <u>Operation</u> addition of powers equivalent for multiplied bases.
18.	$= \mathbf{\Gamma} \mathbf{\underline{q}}_{1} \mathbf{\underline{m}}_{2^{\tau}} \mathbf{\underline{m}} \mathbf{\underline{q}}_{2^{\tau}+1} \mathbf{\underline{m}}_{2^{\tau}+1} \underline$	Theorems of the <u>Addition Operation</u> for "Real" values additive commutativity at the exponent level.
19.		consecutivity meaning of SE-RHS and of
20.	$\begin{bmatrix} \underline{\mathbf{q}}_1 \end{bmatrix}^{2^{\tau+1}} = \begin{bmatrix} \underline{\mathbf{q}}_1 \\ \blacksquare \\ \blacksquare \\ \blacksquare \end{bmatrix}^{2^{\tau+1}} = \begin{bmatrix} \underline{\mathbf{q}}_1 \\ \blacksquare \\ \blacksquare \\ \blacksquare \end{bmatrix}^{2^{\tau+1}} = \begin{bmatrix} \underline{\mathbf{q}}_1 \\ \blacksquare \\ \blacksquare \\ \blacksquare \\ \blacksquare \end{bmatrix}^{2^{\tau+1}} = \begin{bmatrix} \underline{\mathbf{q}}_1 \\ \blacksquare \\ \blacksquare \\ \blacksquare \\ \blacksquare \\ \blacksquare \\ \blacksquare \end{bmatrix}^{2^{\tau+1}} = \begin{bmatrix} \underline{\mathbf{q}}_1 \\ \blacksquare \\ $	Transitive Law of Equality for NQ 'Meta-Numbers', applied to Steps 8 19.: Finite Induction Recursion Clause Established.
21.	$\begin{bmatrix} \underline{\mathbf{q}}_1 \end{bmatrix}^{2^{\tau}} = \begin{bmatrix} \underline{\mathbf{q}}_1 \\ \underline{\mathbf{m}}_1 \end{bmatrix} \xrightarrow{\mathbf{m}} \underbrace{\mathbf{q}}_{2^{\tau}} \end{bmatrix}$	By <u>Finite Induction</u> Base Clause & Recursion Clause: $[[\underline{P}(0)] & [IF \underline{P}(\tau), THEN \underline{P}(\tau+1)]] \Rightarrow \underline{P}(\tau). \text{ QED.}$





«Aufheben» Diagram: The Generic Dialectic per the Q Dialectical Meta-Numbers' Standard Interpretation, to Epoch $\tau = 4 - -$

Horizontal +> Diachronic Direction / Dimension of Progression of Successor Ontological Categories Emergent out of their Predecessor Ontological Categories' 'Intra-Dualities'

"'Quantifiers", 'Ontological Qualifiers', and 'Metrical Qualifiers'



«Arithmos Eidetikos», or Dialectical, Systematics of the '<u>Ideogramic Qualifiers</u>', or '<u>Meta-Numbers</u>', of the Dialectical Ideographies



Algorithmic-Ideographical Dimensional Analysis --

The 'Metrical Qualifier Meta-Numbers' of the $\underline{\mathbf{q}}_7 \longleftrightarrow \underline{\mathbf{q}}_{MU} = \underline{\mu}$ Arithmetic

The <u>u</u> arithmetic can model, in no-longer-"syncopated", but fully-"symbolic" or 'ideo graphical' and 'algorithmical' fashion, the basic rules of the *arithmetic of dimensional analysis*, as express ed in the first four theorems of Chapter **5**, on the "*Arithmetic of Dimensions*", pp. **95-96** in the **1998** treatise <u>Applied Dimensional Analysis and Modeling</u>, by T. Szirtes.

Background. Per the standard notation of dimensional analysis, the "square-bracket" parentheses, **[...]**, denotes an operator which extracts the "dimension", "dimensional <u>unit</u>", or 'dimensional «<u>monad</u>»' from any dimensional expression which it encloses [operates upon], viz., **[3 cms.]** = **cm**.

F. \underline{E} . \underline{D} . also notates, non-standardly, such that the "curved bracket" parentheses, (...), denotes an operator which extracts the "metrical quantifier" from any dimensional expression it encloses [operates upon], as follows, e.g.: (3 cms.) = 3.

Thus, also, (3) = 3, and [cm.] = cm., and (cm.) = μ_0 = [3].

Ideogramic Dimensional Analysis

F.E.D. Standard Assignments / Interpretation of the

'Metrical Qualifier Meta-Numbers' of the $\mathbf{q}_7 \leftarrow \mathbf{g}_{MU} \equiv \underline{\mu}$ Arithmetic

We "assign "/" interpret " [\leftrightarrow] the $\underline{\hat{\mu}}_{all}$ sub-species of *meta-numerals* that results from the \underline{M} subsumption of \underline{U} as follows: $\overset{\hat{\mu}}{=}_{[+\hat{g}_{4}]} \leftrightarrow \underline{\mathbf{T}}$, for the $\underline{\mathbf{T}}$ ime "dimension", met ed in "fundamental" units of '**sec.**', thus denot ed, still to this day, in "syncopated" fashion; $\overset{\hat{\mathbf{u}}}{\underline{\mathbf{u}}}_{[+]} \overset{\hat{\mathbf{u}}}{\underline{\mathbf{u}}}_{2]} \leftrightarrow \underline{\mathbf{M}}$, denoting the inertial $\underline{\mathbf{M}}$ ass "dimension", measur ed in "fundamental" units of gram s, or \mathbf{gm} .; $\overset{\circ}{\underline{\mu}}_{[+\overset{\circ}{\underline{\mu}}_2]} \leftrightarrow \underline{L}$, denoting the physical -spatial <u>L</u>ength "*dimension*", measure d in "*fundamental*" units of centimete rs, or **cm.**, so that --⁸ ^µ[+²⁰₂ - ²⁰₁] $\leftrightarrow \underline{V}$, denoting the physical -spatial \underline{V} elocity "dimension", measured in "compound" units of **cm. / sec.**; $\stackrel{6}{\mu}_{[+}\stackrel{2}{\hat{u}}_{3} - 2 \stackrel{2}{\hat{u}}_{1}] \leftrightarrow \underline{A}$, denoting the physical -spatial <u>A</u>cceleration "dimension", measured in "compound" units of **cm. / sec.**²; $\overset{\mathbf{p}}{\underline{\mu}}_{[+\overset{\mathbf{q}}{\underline{\mu}}_{2}+\overset{\mathbf{q}}{\underline{\mu}}_{3}-\overset{\mathbf{q}}{\underline{\mu}}_{4}]} \leftrightarrow \underline{P}, \text{ for the physical -spatial Momentum "dimension", measured in "compound" units o f [gm. × cm.] / sec.¹;$ The 'compounded' dimension of Force, F, thus translates to $\underline{ML} / \underline{T}^2$, and thus also to $\underline{MV} / \underline{T}$, and to \underline{MA} , and to $[\overset{\hat{\mu}}{\underline{\mu}}_{\underline{\mu}}^2 \times \overset{\hat{\mu}}{\underline{\mu}}_{\underline{\mu}}^2]^2$. The latter, because multiplying amon $gst \frac{\hat{\mu}}{\partial U}$ meta -numerals equates to *additions* of their subscripts, *dividing to subtracting*, equates to $\hat{\underline{\mu}}_{[+\hat{\underline{\mu}}_{2}^{+}+\hat{\underline{\mu}}_{3}^{-}-2\hat{\underline{\mu}}_{4}^{+}]}$, in [gm. × cm.] / sec.², or dynes – $(\underline{G})[\underline{G}] = (G)[\underline{G}] = G\underline{G} = (6.67 \times 10^{-8})[dyne \times [cm.^{2}/gm.^{2}]] \leftrightarrow ((6.67)(10^{-8}))[[\frac{\hat{\mu}}{\mu}_{[+}\hat{\underline{u}}_{2} + \hat{\underline{u}}_{3} - 2\hat{\underline{u}}_{4}]][\frac{\hat{\mu}}{\mu}_{[+2}\hat{\underline{u}}_{3} / \hat{\underline{\mu}}_{[+2}\hat{\underline{u}}_{2}]] = (G)[\underline{G}] = (G)[$ $((6.67)(10^{-8}))\left[\stackrel{\hat{\theta}}{\underline{\mu}}_{[+\frac{\hat{\theta}}{2}_{2}} + \hat{\underline{\theta}}_{1} - 2\hat{\underline{\theta}}_{1} + 2\hat{\underline{\theta}}_{2} - 2\hat{\underline{\theta}}_{2}\right] = ((6.67)(10^{-8}))\left[\stackrel{\hat{\theta}}{\underline{\mu}}_{[-\frac{\hat{\theta}}{2}_{2}} + 3\hat{\underline{\theta}}_{1} - 2\hat{\underline{\theta}}_{1}\right],$

-- wherein G denotes the Newtonia n "Universal" 'Gravitic' "constant" quantifier, and G its metrical qualifier.

Ideogramic Dimensional Analysis Proof of the Quotients of Dimensions Theorem for the

From of the Quotients of Dimensions Theorem for the

'Metrical Qualifier Meta-Numbers' of the $\mathbf{q}_7 \leftarrow \mathbf{q}_{MU} \equiv \underline{\mu}$ Arithmetic

<u>Theorem 2</u>. Quotients of Dimensions. The quotient of the dimensions of two variables is the dimension of the quotient of those two variables $\mathbf{I}_{,,0}$, or: $\mathbf{I}_{,0}$, or

Proof of Theorem 2.

Via Szirtes' Ideography	#	Via the µ Ideography for <u>Dimensional Analysis</u>		
Proposition	- #	Proposition	Justification	
$[V_1]/[V_2] = d_1/d_2 = d_1/d_2$	1	$\begin{bmatrix} \underline{\Psi}_1 \end{bmatrix} / \begin{bmatrix} \underline{\Psi}_2 \end{bmatrix} = \underline{\hat{\mu}}_2 / \underline{\hat{\mu}}_j / \underline{\hat{\mu}}_j \equiv \underline{\hat{\mu}}_j \\ \underline{\Sigma} \alpha_j \underline{\hat{\hat{\mu}}}_j \\ \underline{\Sigma} \eta_j \underline{\hat{\hat{\mu}}}_j = \underline{\Sigma} \beta_j \underline{\hat{\hat{\mu}}}_j = \underline{\Sigma} \alpha_j \underline{\hat{\hat{\mu}}}_j - \underline{\Sigma} \beta_j \underline{\hat{\hat{\mu}}}_j$	Definitions: V_k , $\frac{\mathfrak{P}}{\mathfrak{P}}_k$, & []; Closure of dimensional division	
$V_1/V_2 = m_1 \times d_1/m_2 \times d_2 =$ (m_1/1)(d_1/1)(1/m_2)(1/d_2)	2	$\underline{\underline{\Psi}}_{1}/\underline{\underline{\Psi}}_{2} = \mu_{1} \times \underline{\underline{\mu}}_{j}^{\hat{\underline{\mu}}} / \mu_{2} \times \underline{\underline{\mu}}_{j}^{\hat{\underline{\mu}}} \\ \underline{\underline{\Sigma}}_{j} \underline{\underline{\mu}}_{j}^{\hat{\underline{\mu}}} \underline{\underline{\Sigma}}_{j} \underline{\underline{\mu}}_{j}^{\hat{\underline{\mu}}} \underline{\underline{\Sigma}}_{j} \underline{\underline{\mu}}_{j}^{\hat{\underline{\mu}}}$	Definitions: V _k & £ _k ; Multiplicative inversion of magnitudes & dimensions	
$(m_1/1)(1/m_2)(d_1/1)(1/d_2) =$ $(m_1/m_2) \times [d_1/d_2] = V_1/V_2$	3	$\mu_1 \times \overset{\hat{\mathfrak{b}}}{\underline{\mu}} {}_{j} \overset{\hat{\mathfrak{b}}}{\underline{\mu}_j} / \mu_2 \times \overset{\hat{\mathfrak{b}}}{\underline{\mu}} = (\mu_1 / \mu_2) \times [\overset{\hat{\mathfrak{b}}}{\underline{\mu}} {}_{j} / \overset{\hat{\mathfrak{b}}}{\underline{\mu}_j}]$	Rule of Commutation, applied to step 2 ; Transitive Rule of Equality applied to steps 2 & 3	
$[V_1/V_2] = d_1/d_2 = d$	4	$\begin{bmatrix} \underline{\Psi}_1 / \underline{\Psi}_2 \end{bmatrix} = \hat{\underline{\mu}}_{\underline{\Sigma}} \hat{\boldsymbol{\sigma}}_{\underline{j}}^{\hat{\underline{U}}_j} \underline{\underline{\Sigma}}_{\underline{j}} \hat{\boldsymbol{\sigma}}_{\underline{j}}^{\hat{\underline{U}}_j} \equiv \hat{\underline{\mu}}_{\underline{j}}^{\hat{\underline{U}}_j} \equiv \hat{\underline{\mu}}_{\underline{j}}^{\hat{\underline{U}}_j} = \hat{\underline{\mu}}_{\underline{j}}^{\hat{\underline{U}}_j} - \underline{\underline{\Sigma}} \beta_{\underline{j}}^{\hat{\underline{U}}_j}$	Definition of [] ; Closure of dimensional division	
$[V_1]/[V_2] = [V_1/V_2]$	5	$\begin{bmatrix} \mathbf{\hat{\Psi}}_1 \end{bmatrix} / \begin{bmatrix} \mathbf{\hat{\Psi}}_2 \end{bmatrix} = \begin{bmatrix} \mathbf{\hat{\Psi}}_1 / \mathbf{\hat{\Psi}}_2 \end{bmatrix}^{-1}$	Transitive Rule of Equality, applied to steps 1 & 4 ; Q.E.D.	

Section V:

An <u>NQ</u> Heuristic Model

of the [likely inadvertent] Dialectic of

the "Level I" Contents of

Newton's 1687

«Philosophiæ Naturalis Principia Mathematica»

[Mathematical Principles of Natural Philosophy]

The Final Paragraph of the Final Scholium of Newton's 1687 «Principia» --

A Clue to the [Incomplete] Next Phases of Newton's "Occult Forces"-based, anti-Mechanistic Paradigm,

As Next Fruition, in part, of his Extensive [A/]Chemical Experiments:

Foreshadowings of the Faraday / Maxwell Dynamical Electromagnetic Field Theory, and of the 'Electro-Biology' Beyond

Recall: Per current theory, chemistry, about the *«autokinesis»* of molecular+ matter, including of biological, cellular, and physiological, multi-cellular matter, is *"electron-ic"*, involving interactions of the superficial, outermost electron orbitals & sub-orbitals of atoms, with lesser involvement of the nucleonic atomic core.

Isaac Newton, «Philosophiæ Naturalis Principia Mathematica», or "Mathematical Principles of Natural Philosophy:

"It would be appropriate to add some remarks about a certainly extremely subtle spirit pervading gross bodies and lying hidden in them, by whose force and actions the particles of bodies attract each other mutually at least distances, and stick together when brought into contact, and electrical bodies act at greater distances, both repelling and attracting neighboring corpuscles, and light is emitted, reflected, refracted, inflected, and heats bodies, and all perception is aroused, and the members of animals are moved by the will, that is, by vibrations of this spirit propagated through the solid filaments of the nerves from the external organs of perception to the cerebrum and from the cerebrum to the muscles. But these cannot be set forth in a few words, nor is there at hand a sufficient body of experiments by which the laws of action of this spirit are required to be accurately determined and shown."

Dana Densmore, <u>Newton's Principia: The Central Argument</u>, Book III: On The System of the World, *General Scholium* (1687), Green Lion Press [Santa Fe, New Mexico: 2003], p. 489.

«Aufheben» Diagram: An Q Heuristic Model of the "Level I" Systematic-Dialectical Structure of Newton's «Principia»,

and a Foreshadowing of its Intended «Sequelae»



Axis of Progressive,' "Determinate [Self-]Negation" / Partial [Self-]Refutation / '[Self-]Other-ization' / Self-Confrontation of 'Ideo-Ontological Categories / Systems-of-Ideas'

Section VI:

An NQ Dialectical Model [Partial]

of

the Detailed Contents of

Hegel's 1812

Science of «Logik»

... the determinateness which was a result is itself, by virtue of the form of simplicity into which it has withdrawn, a fresh beginning; as this beginning is distinguished from its predecessor precisely by that determinateness, cognition rolls onward from content to content. First of all, this advance is determined as beginning from simple determinatenesses, the succeeding ones becoming ever *richer and more concrete*. For the result contains its beginning and its course has enriched it by a fresh determinateness. The **universal** constitutes the foundation; the advance is therefore not to be taken as a *flowing* from one other to the next other. In the absolute method the Notion *maintains* itself in its otherness, the universal in its particularization, in judgment and reality; at each stage of its further determination it raises the entire mass of its preceding content, and by its dialectical advance it not only does not lose anything or leave anything behind, but carries along with it all it has gained, and inwardly enriches and consolidates itself."

G. W. F. Hegel, <u>Science of Logic</u>, Volume Two, Section Three, Chapter 3, *The Absolute Idea* (1812). [*emphasis* added by F.<u>E</u>.<u>D</u>.]



«Aufheben» Diagram: A Dialectical-Algebraic Model [Partial] of the Systematic Dialectic of the Contents of Hegel's (Logik), Expressed via the 'Purely-Qualitative' Arithmetic of the vQ, the First Fully-Dialectical Arithmetic to Emerge in the Dialectical Progression of Dialectical Arithmetics, to Epoch r = 4

↔ Synchronic Axis of the 'Meta-Fractal Ideo-Cumulum' of the Categories of Hegel's Science of Dialectical Logic

Vertical

Horizontal \leftrightarrow Diachronic Direction / Dimension of Progressive Exposition of the Categorial Progression of the Categories of the Hegelian Science of Dialectical Logic

Section VII:

An <u>NQ</u> Heuristic Model of the [possibly advertent] Dialectic of

the "Level I" Contents of

Maxwell's 1873

A Treatise on Electricity and Magnetism

From the Preface to the First Edition of Maxwell's 1873

A Treatise on Electricity and Magnetism

"[«Arché» Thesis] The fact that certain bodies, after being rubbed, appear to attract other bodies, was known to the ancients. In modern times, a great variety of other phenomena have been observed, and have been found to be related to these phenomena of attraction. They have been classed under the name *Electric* phenomena, amber, *ήλεκτρον*, having been the substance in which they were first observed.

[First Contra-Thesis] Other bodies, particularly the loadstone, and pieces of iron and steel which have been subjected to certain processes, have also been long known to exhibit phenomena of action at a distance. These phenomena, with others related to them, were found to differ from the electric phenomena, and have been classed under the name of *Magnetic* phenomena, the loadstone, $\mu \dot{\alpha}_{\gamma} v \eta_{\varsigma}$, being found in the Thessalian Magnesia.

[First Uni-Thesis] These two classes of phenomena have since been found to be related to each other, and the relations between the various phenomena of both classes, so far as they are known, constitute the science of *Electromagnetism*.

In the following Treatise I propose to describe the most important of these phenomena, to show how they may be subjected to measurement, and to trace the mathematical connexions of the quantities measured. Having thus obtained the data for a mathematical theory of *electromagnetism*, and having shown how this theory may be applied to the calculation of phenomena, I shall endeavor to place in as clear a light as I can the relations between the mathematical form of this theory and that of *the fundamental science of Dynamics*....

... some progress has been made in the reduction of electromagnetism to a dynamical science, by shewing that no electromagnetic phenomenon is contradictory to the supposition that it depends on purely dynamical action. ...

... I was aware that there was supposed to be a difference between Faraday's way of conceiving phenomena and that of the mathematicians, so that neither he nor they were satisfied with each other's language. I had also the conviction that this discrepancy did not arise from either party being wrong. ...

As I proceeded with the study of Faraday, I perceived that his method of conceiving the phenomena was also a mathematical one, though not exhibited in the conventional form of mathematical symbols. I also found that these methods were capable of being expressed in ordinary mathematical forms, and thus compared with those of the professed mathematicians.

For instance, Faraday, in his mind's eye, saw lines of force traversing all space where the mathematicians saw centres of force acting at a distance: Faraday saw a medium where they saw nothing but distance: Faraday sought the seat of the phenomena in real actions going on in the medium, they were satisfied that they had found it in a power of action at a distance impressed on the electric fluids.

When I translated what I considered to be Faraday's ideas into a mathematical form, I found that in general the results of the two methods coincided, so that the same phenomena were accounted for, and the same laws of action deduced by both methods, but that Faraday's methods resembled those in which we begin with the whole, and arrive at the parts by analysis, while the ordinary mathematical methods were founded on the principle of beginning with the parts and building up the whole by synthesis."

James Clerk Maxwell, <u>A Treatise on Electricity and Magnetism</u>, Preface to the First Edition (1873), Oxford University Press [NY: 2002], pp. v-vi; vii; viii-ix [bracketed inserts & colored text emphasis by F.<u>E.D</u>.].

«Aufheben» Diagram: An Q Heuristic Model of the "Level I" Systematic-Dialectical Structure of Maxwell's Treatise,

and a Foreshadowing of its Portended «Seguelae»



Axis of Progressive,' "Determinate [Self-]Negation"' / Partial [Self-]Refutation / '[Self-]Other-ization' / Self-Confrontation of 'Ideo-Ontological Categories' / 'Theory-Systems'

in Maxwell's [and Faraday's] Theories

"The weaving of the of the two strands of Lagrange's equation is nearly complete – only one step remains to effect the junction that will bring the electromagnetic field into full life. In principle, this step too is hardly more than a logical consequence of all that has been said thus far. For if the displacement does in this way constitute a true current, it must have the magnetic effect that we studied earlier as the Oersted phenomenon. It is easiest to express this by asserting that a changing electric field, necessitating as it does a changing displacement and thus constituting a true current, must give rise to the corresponding magnetic field; we would write, as Maxwell does:

$$4\pi \mathbf{j} = \operatorname{curl} \mathbf{B}$$

where here too j represents total current density, that is, the sum of conduction current j_c and changing displacement D. In free space there are no conductors, so equation (E) there becomes $4\pi D = \text{curl } B$, simply.

In reading this equation, we should be careful once again not to speak as if the two strands, the electric and magnetic, represent distinct fields. Maxwell has presented them as constituting two modes of motion of a single entity. ...

Maxwell has now brought forth the revolutionary vision which the *Treatise* set out to manifest. A new kind of physical entity has emerged: the electromagnetic field, infused with interactive life. Our grasp of the field owes its wholeness, as well as its intelligibility, to Lagrange's new approach to physical science, an approach in many ways the opposite of the science of Newton. Here the whole is primary, the quantity best known to us is energy, and the language has become that of the metaphor of generalized variables – while the underlying matter, whatever it may be, remains known to us only by its most generalized name, *y*. The the substance of this new entity may be, as we have urged, no less real for being metaphorical. Its two modes of energy, kinetic and potential, configured in space, generate the patterns we know as the magnetic and electric fields; together, they constitute the unifying reality that is the *electromagnetic field*.

With this realization completed by the end of Chapter IX, Maxwell will go on in Chapter XX to show mathematically that these equations insure the propagation of wave motion throughput the body of this new medium. The velocity of this wave, though, is an empirical question, since the coefficients in the equations we have set out are no more than placeholders for numbers yet to be determined by laboratory measurements. Much of the remaining work of the *Treatise*, then, will be to determine these coefficients by exacting experiment and thereby compute the velocity of the predicted wave motion. Within limits of experimental accuracy, it proves to equal the measured velocity of light. Latent, then, in Maxwell's equations as they have been set forth here, is the *electromagnetic theory of light*.

If this connected system we are calling the field be the medium of the phenomenon of light, then its body must fill the cosmos to the furthest reaches to which vision penetrates. This new entity becomes, in a sense, the body of the cosmos, whose motions are light. Perhaps, then we should speak not just of the electromagnetic theory of *light* but, more fundamentally, of **the electromagnetic theory of** <u>space</u>."

Thomas K. Simpson, *Figures of Thought*: A Literary Appreciation of Maxwell's <u>Treatise on Electricity and Magnetism</u>, Green Lion Press [Santa Fe, New Mexico: 2005], pp. 114-116 [emphasis added by F.E.D.].

(E)

«Aufheben» Diagram: An _NQ Heuristic Model of the "'Level I''' Systematic-Dialectical Structure of Maxwell's <u>Treatise</u>, and a Foreshadowing of its Portended «Sequelae» -- Alternative Product-Rule View



Axis of Progressive,' "Determinate [Self-]Negation" / Partial [Self-]Refutation / '[Self-]Other-ization' / Self-Confrontation of 'Ideo-Ontological Categories' / 'Theory-Systems'



"[That] Every beginning is difficult, holds in all sciences. To understand the first chapter, especially the section that contains the analysis of commodities, will, therefore, present the greatest difficulty. ... The value-form, whose fully-developed shape is the money-form, is very elementary and simple. Nevertheless, the human mind has for more than 2,000 years sought in vain to get to the bottom of it, whilst on the other hand, to the successful analysis of much more composite and complex forms, there has been at least an approximation. Why? Because the body, as an organic whole, is more easy of study than are the cells of that body. In the analysis of economic forms, moreover, neither microscopes nor chemical reagents are of use. The force of abstraction must replace both. But in bourgeois society the commodity-form of the product of labour -- or the value-form of the commodity -- is the economic cell-form."

Karl Marx, <u>Capital</u>: <u>A Critique of Political Economy</u>, Volume I, Preface to the First German Edition (1867)

«Aufheben» Diagram: A Dialectical-Algebraic Model [Partial] of the Systematic Dialectic of the Contents of Marx's (Das Kapital)», Expressed via the 'Purely-Qualitative' Arithmetic of the <u>Q</u>, the First Fully-Dialectical System to Emerge in the Dialectical Progression of Systems of Dialectical Arithmetic



Horizontal +> Diachronic Direction / Dimension of Progressive Exposition of the Categorial Progression of the Categories of the Marxian Critique of the Capital Political Economy

"The general remarks, which the credit system so far elicited from us, were the following:

III. Formation of stock companies. Thereby:3) Transformation of the actually functioning capitalist into a mere manager, administrator of other people's capital, and of the owner of capital into a mere owner, a mere money-capitalist. Even if the dividends which they receive include the interest and the profit of enterprise, i.e., the total profit (for the salary of managers is, or should be, simply the wage of a specific type of skilled labour, whose price is regulated in the labour-market like that of any other labour), this total profit is henceforth received only in the form of interest, i.e., as mere compensation for owning capital that is now entirely divorced from the function in the actual process of reproduction, just as this function in the person of the manager is divorced from ownership of capital. ... In stock companies the function is divorced from capital ownership, hence also labour is entirely divorced from ownership of means of production and surplus-labour. This result of the ultimate development of capitalist production is a necessary transitional phase towards the reconversion of capital into the property of producers, although no longer as the private property of the individual producers, but rather as the property of associated producers, as outright social property. On the other hand, the stock company is a transition toward the conversion of all functions in the reproduction process which still remain linked with capitalist property, into mere functions of the associated producers, into social functions.

This is *the abolition of the capitalist mode of production within the capitalist mode of production itself*, and hence a self-dissolving contradiction, which *prima facie* represents a mere phase of transition to a new form of production. It manifests itself as such a contradiction in its effects. It establishes a monopoly in certain spheres and thereby requires state interference. It reproduces a new financial aristocracy, a new variety of parasites in the shape of promoters, speculators, and simply nominal directors; a whole system of swindling and cheating by means of corporation promoting, stock issuance, and stock speculation. It is private production without the control of private property. ...

The **co-operative factories** of the labourers themselves represent within the old form the first sprouts of the new, although they naturally reproduce, and must reproduce, everywhere in their actual organization all the shortcomings of the prevailing system. But **the antithesis** between capital and labour is overcome within them, if at first only by way of making the associated labourers into their own capitalist, i.e., by enabling them to use the means of production for the employment of their own labour. [we call this transitional form 'workers' capital[ism]'].

They show how a new mode of production naturally grows out of an old one, when the development of the material forces of production and of the corresponding forms of social production have reached a particular stage. Without the factory system arising out of the capitalist mode of production there could have been no co-operative factories. Nor could these have developed without the credit system arising out of the same mode of production. The credit system is not only the principal basis for the gradual transformation of capitalist enterprises into capitalist stock companies, but equally offers the means for the gradual extension of co-operative enterprises on a more or less national scale. ...

The capitalist stock companies, as much as the co-operative factories, should be considered *transitional forms from the capitalist mode of production to the associated one*, with the only distinction that the antagonism is resolved negatively in the one, and positively in the other."

Karl Marx, Capital: A Critique of Political Economy, Volume III, Chapter VVVII, The Role of Credit in Capital [ist] Production, emphasis [and insert] added.



Synchronico-Diachronic «Aufheben» Diagram: 'Meta-Fractal Meta-Monadology' of The Dialectic of Democratic Self-Governance

Instance: Self-Governance Plan of Foundation Encyclopedia Dialectica [F.E.D.]



Horizontal ↔ Diachronic Direction / Dimension of Governance Process/Structure: Emergence of New «Species» of F.E.D. Activity

- I. <u>Capital</u> is divided into four sections.
- a) Capital en général [in Fr.] (This is the material of the first brochure).
- b) Competition or the reciprocal action of the many capitals.
- *Credit*, where capital appears as the general element in opposition to the many capitals.
- d) <u>Share</u> <u>capital</u> as the most perfect form (assuming the character of <u>communism</u>), together with all its <u>contradictions</u>."

Letter, Marx to Engels, April 2, 1858; MEW 29, p. 312,

as reproduced in *Rubel on Marx: Five Essays*, Cambridge University Press [NY: 1981], p. 216,

colored-text italic and **bold** italic underlined emphasis added.

Synchronico-Diachronic «Aufheben» Diagram:

'Meta-Monadological' Dialectic of Publicly-Owned 'Externality Equities' Collective Properties Economic-Democratic Self-Governance --

'Baseocratic' Structure/Process of Associations of Publics-Elected Public Directors [APDs], at Local, County, Provincial, Regional, National, Continental & Global Scales / Levels

